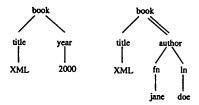


FIG. 1

## METHOD AND SYSTEM FOR PATTERN MATCHING HAVING HOLISTIC TWIG JOINS Nicolas Bruno, et al. ATT-106AUS

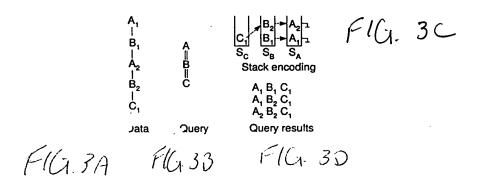
2/21



Fla.2A Fla.23

# METHOD AND SYSTEM FOR PATTERN MATCHING HAVING HOLISTIC TWIG JOINS Nicolas Bruno, et al. ATT-106AUS

3/21



ATT-106AUS

4/21

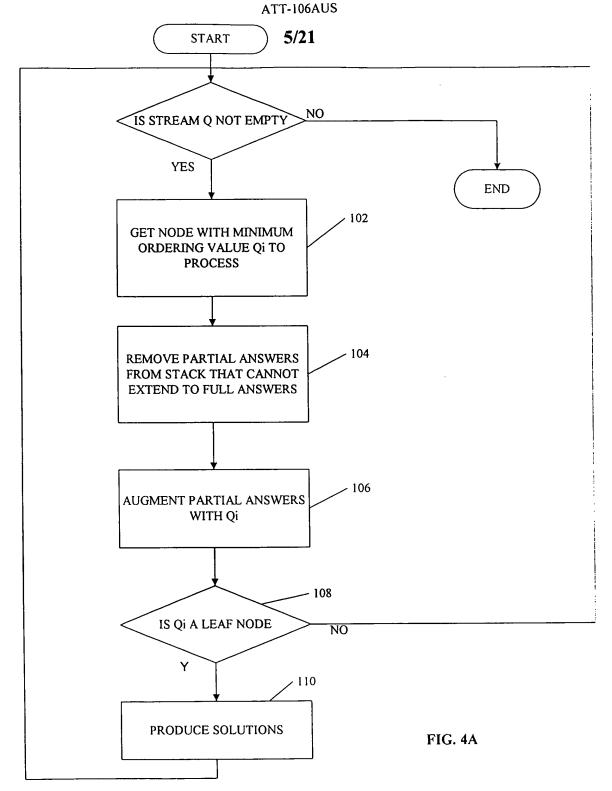
```
Algorithm PathStack(q)
01 while \neg \operatorname{end}(q)
02 q_{min} = \operatorname{getMinSource}(q)
03 for q_i in \operatorname{subtreeModes}(q) // \operatorname{clean stacks}
04 while (\neg \operatorname{empty}(S_{q_i}) \land \operatorname{topR}(S_{q_i}) < \operatorname{nextL}(T_{q_{min}}))
05 \operatorname{pop}(S_{q_i})
06 \operatorname{moveStreamToStack}(T_{q_{min}}, S_{q_{min}}, \operatorname{pointer} \operatorname{to} \operatorname{top}(S_{\operatorname{parent}(q_{min})}))
07 if (\operatorname{isLeaf}(q_{min}))
08 \operatorname{showSolutions}(S_{q_{min}}, 1)
09 \operatorname{pop}(S_{q_{min}})

Function \operatorname{end}(q)
\operatorname{return} \ \forall q_i \in \operatorname{subtreeModes}(q) : \operatorname{isLeaf}(q_i) \Rightarrow \operatorname{eof}(T_{q_i})

Function \operatorname{getMinSource}(q)
\operatorname{return} \ q_i \in \operatorname{subtreeModes}(q) such that \operatorname{nextL}(T_{q_i})
\operatorname{is \ minimal}

Procedure \operatorname{moveStreamToStack}(T_q, S_q, p)
01 \operatorname{push}(S_q, (\operatorname{next}(T_q), p))
02 \operatorname{advance}(T_q)
```

PathStack



```
Procedure showSolutions(SN, SP)

// Assume, for simplicity, that the stacks of the query

// nodes from the root to the current leaf node we

// are interested in can be accessed as S[1], \dots, S[n].

// Also assume that we have a global array index[1..n]

// of pointers to the stack elements.

// index[i] represents the position in the i'th stack that

// we are interested in for the current solution, where

// the bottom of each stack has position 1.

// Mark we are interested in position SP of stack SN.

01 index[SN] = SP

02 if (SN == 1) // we are in the root

03 // output solutions from the stacks

04 output (S[n].index[n], \dots, S[1].index[1])

05 else // recursive call

06 for i = 1 to S[SN].index[SN].pointer_to_parent

07 showSolutions(<math>SN - 1, i)
```

Procedure showSolutions

FlG 5

## METHOD AND SYSTEM FOR PATTERN MATCHING HAVING HOLISTIC TWIG JOINS Nicolas Bruno, et al. ATT-106AUS

7/21

	Case 1	Case 2	Case 3	Case 4
Property	X.R <y.l< td=""><td>X.L<y.l X.R&gt;Y.R</y.l </td><td>X.L&gt;Y.L X.R<y.r< td=""><td>X.L&gt;Y.R</td></y.r<></td></y.l<>	X.L <y.l X.R&gt;Y.R</y.l 	X.L>Y.L X.R <y.r< td=""><td>X.L&gt;Y.R</td></y.r<>	X.L>Y.R
Segments	<u>X</u>	- X	-X-	X
	•Y•	<u>-Y</u>	<u> </u>	<u>.</u> Y.
Tree	Root	Root	Root	• Root

Cases for PathStack and TwigStack

F16-6

```
Algorithm PathMPMJ(q)
01 while (\neg \operatorname{eof}(T_q) \land (\operatorname{isRoot}(q) \lor \operatorname{nextL}(q) < \operatorname{nextE}(\operatorname{parent}(q))))
02 for (q_i \in \operatorname{subtreeWodes}(q)) // advance descendants
03 while (\operatorname{nextL}(q_i) < \operatorname{nextL}(\operatorname{parent}(q_i)))
04 advance(T_{q_i})
05 PushMark(T_{q_i})
06 if (\operatorname{isLeaf}(q)) // solution in the streams' heads outputSolution()
07 else PathMPMJ(child(q))
08 advance(T_q)
09 for (q_i \in \operatorname{subtreeWodes}(q)) // backtrack descendants
10 PopMark(T_{q_i})
```

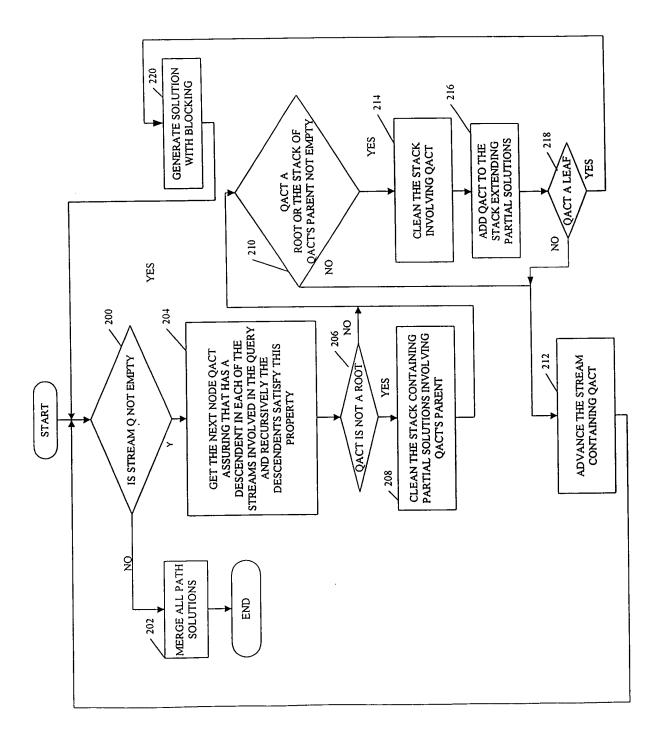
PathMPMJ

```
Algorithm TwigStack(q)
     // Phase 1
Oi while -end(q)
02
        q_{act} = getHext(q)
       qact = getmext(y)
if (¬isRoot(qact))
  cleanStack(parent(qact), nextL(qact))
if (isRoot(qact) ∨ ¬empty(Sparent(qact)))
04
05
           cleanStack(qact, next(qact))
06
           {\tt moveStreamToStack}(T_{qact}, S_{qact}, {\tt pointer} \ {\tt to}
07
                                                      top(Sparent(qact)))
80
            if (isLeaf(qact))
               showSolutionsWithBlocking(S_{q_{act}}, 1)
09
        pop(S_{q_{act}})
else advance(T_{q_{act}})
10
11
     // Phase 2
12 mergeAllPathSolutions()
Function getWext(q)
O1 if (isLeaf(q)) return q
O2 for q; in children(q)
03 n_i = get \mathbb{I}ext(q_i)
04 if (n_i \neq q_i) return n_i
05 n_{min} = \min_{x \in T_q} n_{i} restL(T_{n_i})
06 n_{max} = \max_{x \in T_q} n_{i} restL(T_{n_i})
07 while (nextR(T_q) < nextL(T_{n_{max}}))
08 advance(T_q) 09 if (\text{nextL}(T_q) < \text{nextL}(T_{n_{min}})) return q
10 else return nmin
Procedure cleanStack(S, actL)
O1 while (\neg empty(S) \land (topR(S) < actL))
02 pop(\dot{S})
```

TwigStack

10/21





ATT-106AUS

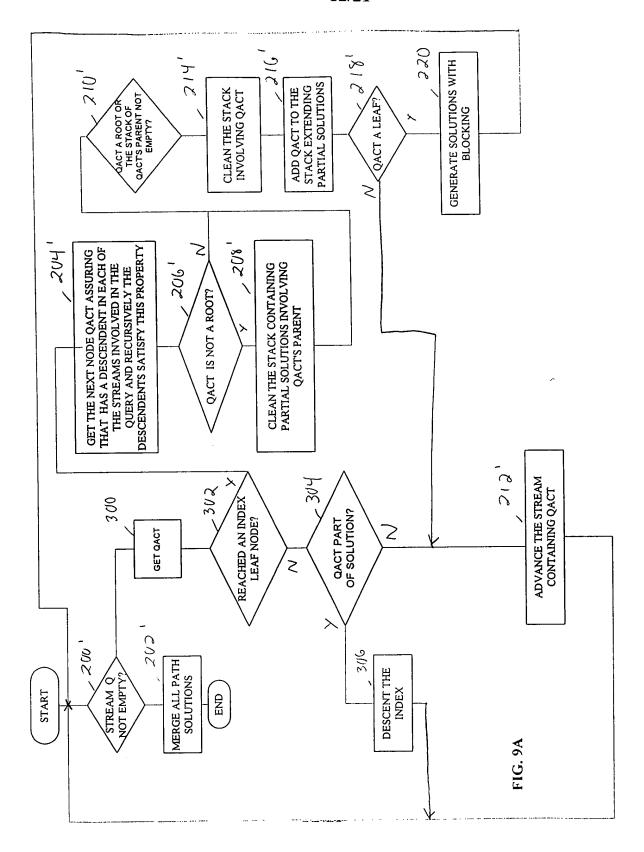
#### 11/21

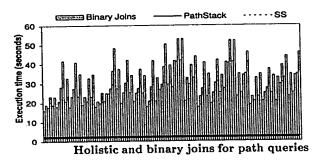
```
Algorithm TwigStackXB(q)
Of while \neg end(q)
02  q<sub>act</sub> = getWext(q)
(03) if (isPlainValue(T<sub>qact</sub>))
04  if (¬isRoot(q<sub>act</sub>))
05
               cleanStack(parent(qact), next(qact))
             if (isRoot(q_{act}) \lor \neg empty(S_{parent(q_{act})}))
                cleanStack(qact, next(qact))
07
               moveStreamToStack(T_{q_{act}}, S_{q_{act}}, pointer to top(S_{parent(q_{act})}))
80
09
               if (isLeaf(qact))
                   showSolutionsWithBlocking(S_{q_{act}}, 1)
10
17 mergeAllPathSolutions()
Function getText(q)
O1 if (isLeaf(q)) return q
O2 for q; in children(q)
03 n_i = getWext(q_i)
(04) if (q_i \neq n_i \vee \neg isPlainValue(T_{n_i})) return n_i
O5 n_{min} = \min_{\mathbf{m} \in \mathbf{m}} \max_{\mathbf{m} \in \mathbf{m}} \min_{\mathbf{m} \in \mathbf{m}} \sum_{i=1}^{n_i} n_{i}
O6 n_{max} = \max_{\mathbf{m} \in \mathbf{m}} \sum_{i=1}^{n_i} n_{i}
O7 while (\operatorname{nextR}(T_q) < \operatorname{nextL}(T_{n_{max}}))
08 advance(T_q)
09 if (\text{nextL}(T_q) < \text{nextL}(T_{n_{min}})) return q
10 else return nmin
Procedure cleanStack(S, actL)
O1 while (\neg empty(S) \land (topR(S) < actL))
O2 pop(S)
```

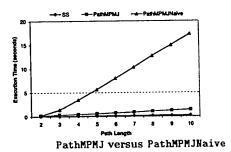
TwigStackXB

F/G. 9

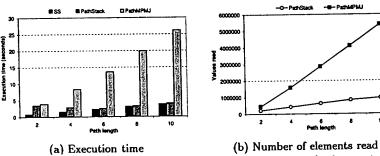
12/21







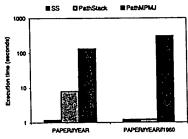
FG. 11

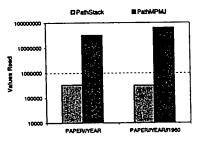


PathStack versus PathNPMJ using synthetic data sets

FlG. 12A

F1G. 12B





- (a) Execution time PathStack versus PathMPMJ for the unfolded DBLP data set
- (b) Number of elements read

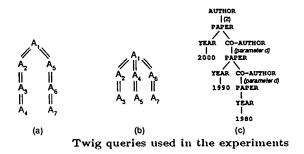
FIG. 13A

F1G13B

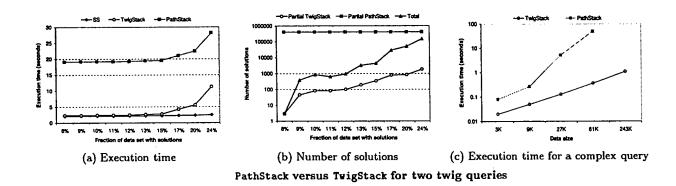
**BEST AVAILABLE COPY** 

### METHOD AND SYSTEM FOR PATTERN MATCHING HAVING HOLISTIC TWIG JOINS Nicolas Bruno, et al. ATT-106AUS

### 17/21

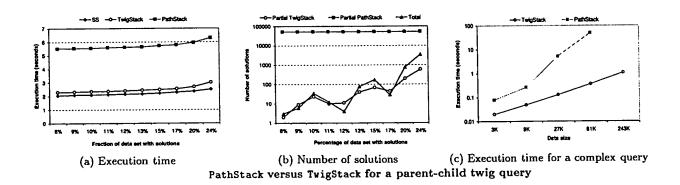


FlG. 14A FLG. 14B FLG. 14C



Fla. 15A

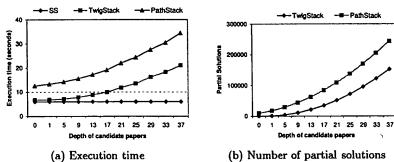
FIG15B FIG15C



Fla 16A

F16 16B

FIG 16C



(b) Number of partial solutions PathStack versus TwigStack on a real data set

FlG. 17A

FlG 1713

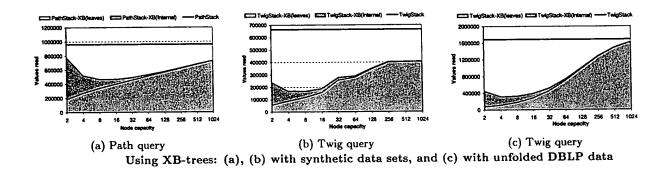


FIG. 18A FIG. 18B FIG. 18C